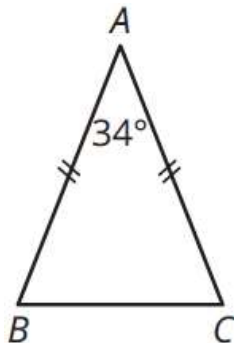
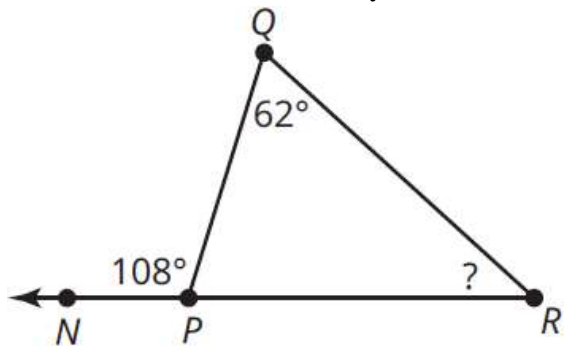


Q1: What is the measure of $\angle B$?



- A 34°
- B 56°
- C 73°
- D 146°

Q2: What is the measure of $\angle PRQ$?

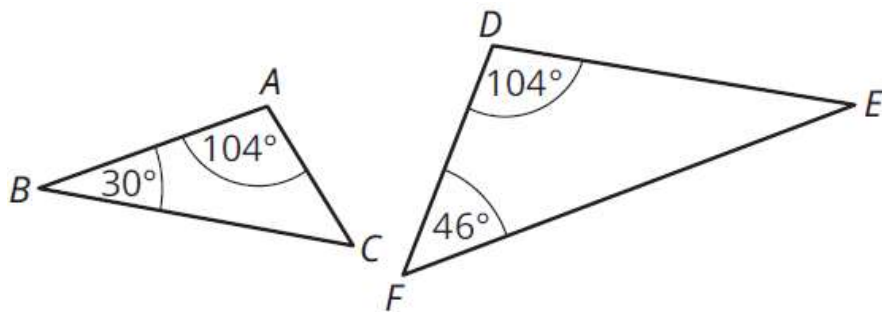


- A 28°
- B 46°
- C 75°
- D 170°

Q3: Michael draws a quadrilateral that has four congruent sides, but does not have congruent angles. Which best describes the quadrilateral formed?

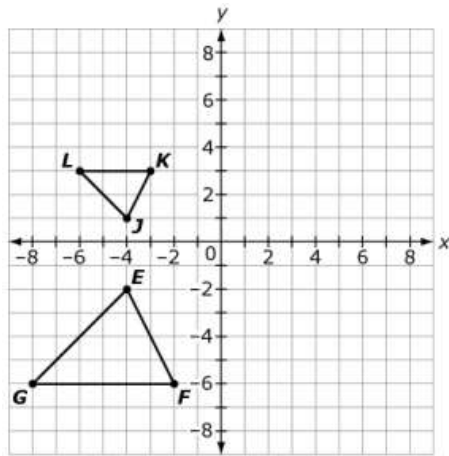
- A rectangle
 - B rhombus
 - C square
 - D trapezoid
-

Q4: What theorem could be used to show triangles ABC and DEF are similar?



- A Side-Side-Side Similarity Theorem
 - B Side-Angle-Side Similarity Theorem
 - C Angle-Angle Similarity Theorem
 - D Side-Side Similarity Theorem
-

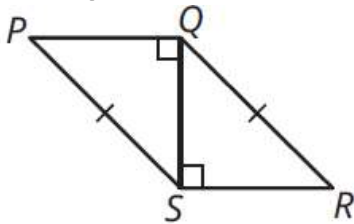
Q5: Two triangles are shown.



Which sequence of transformations could be performed on $\triangle EFG$ to show that it is similar to $\triangle JKL$?

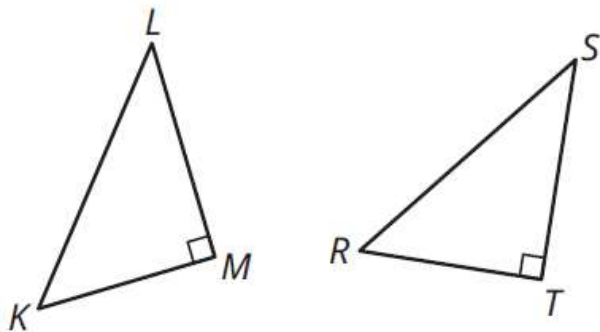
- A** Rotate $\triangle EFG$ 90° clockwise about the origin, and then dilate it by a scale factor of $\frac{1}{2}$ with a center of dilation at point F .
- B** Rotate $\triangle EFG$ 180° clockwise about point E , and then dilate it by a scale factor of 2 with a center of dilation at point E .
- C** Translate $\triangle EFG$ 1 unit up, then reflect it across the x -axis, and then dilate it by a scale factor of with a center of dilation at point E .
- D** Reflect $\triangle EFG$ across the x -axis, then reflect it across the line $y = x$, and then dilate it by a scale factor of 2 with a center of dilation at point F .

Q6: In the figure shown, $\overline{PS} \cong \overline{RQ}$. Which theorem can be used to prove $\triangle SQR \cong \triangle QSP$?



- A** SSS
- B** SAS
- C** AAS
- D** HL

Q7: Which of the following cannot be used to show that the right triangles shown are congruent?

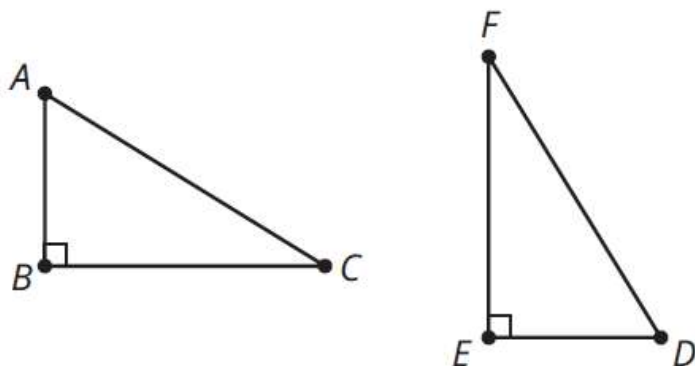


- A** $\overline{KM} \cong \overline{RT}$ and $\overline{KL} \cong \overline{RS}$
- B** $\overline{LM} \cong \overline{ST}$ and $\overline{KL} \cong \overline{RS}$
- C** $\angle K \cong \angle R$ and $\angle L \cong \angle S$
- D** $\overline{KM} \cong \overline{RT}$ and $\angle K \cong \angle R$
-

Q8: In triangle CVR , the midpoint of \overline{CR} is S and the midpoint of \overline{CV} is T . Which of the following statements is true?

- A** \overline{VR} is parallel to \overline{ST} .
- B** Triangle CST is equilateral.
- C** \overline{CR} and \overline{CV} are perpendicular to \overline{ST} .
- D** \overline{ST} is twice as long as \overline{VR} .
-

Q9: Which can be used to show that $\triangle ABC \cong \triangle DEF$? Select all that apply.



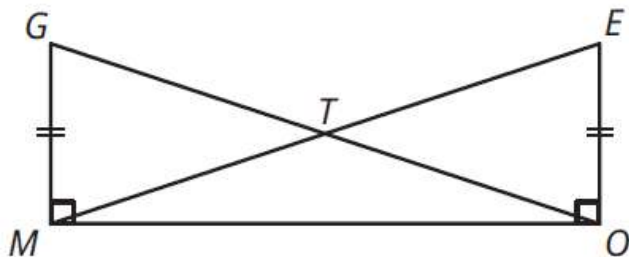
A $\overline{AC} \cong \overline{DF}$

B $\angle A \cong \angle F$

C $\angle C \cong \angle F$

D $\overline{CB} \cong \overline{FE}$

Q10: In the figure shown, $\overline{GM} \perp \overline{MO}$ and $\overline{EO} \perp \overline{MO}$. Which theorem can be used to prove $\triangle GMO \cong \triangle EOM$?



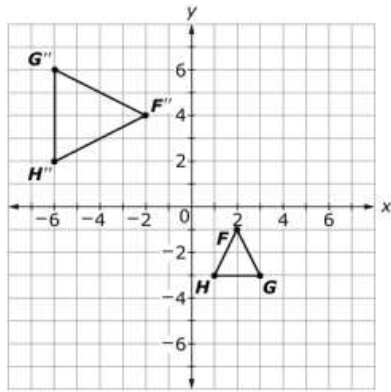
A LL

B LA

C HL

D HA

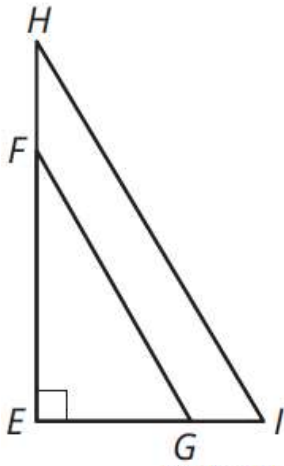
Q11: The coordinates plane shows $\triangle FGH$ and $\triangle F''G''H''$.



Which sequence of transformations can be used to show that $\triangle FGH \sim \triangle F''G''H''$?

- A** a dilation about the origin with a scale factor of 2, followed by a 180° clockwise rotation about the origin
- B** a dilation about the origin with a scale factor of 2, followed by a reflection over the line $y = x$
- C** a translation 5 units up and 4 units left, followed by a dilation with a scale factor of $\frac{1}{2}$ about point F''
- D** a 180° clockwise rotation about the origin, followed by a dilation with a scale factor of $\frac{1}{2}$ about point F''
-

Q12: Which reason completes the two-column proof?



Given: $\overline{FG} \parallel \overline{HI}$

Prove: $\triangle EFG \sim \triangle EHI$

Statement	Reason
1. $\overline{FG} \parallel \overline{HI}$	1. Given
2. $\angle E \cong \angle E$	2. Reflexive Property
3. $\angle G \cong \angle I$	3. Corresponding angles are congruent when a transversal cuts pairs of parallel lines.
4. $\triangle EFG \sim \triangle EHI$	4.

- A** Angle Bisector Theorem
- B** Alternate Interior Angle Theorem
- C** Triangle Sum Theorem
- D** Angle-Angle Similarity Theorem

Q13: Given $\triangle ABC$, Kylie constructs $\angle D$ of a second triangle such that $\angle D \cong \angle A$. What one construction can Kylie make so that $\triangle DEF \sim \triangle ABC$? Select all that apply.

- A** Construct $\angle B$ congruent to $\angle E$.
- B** Construct \overline{AB} proportional to \overline{DE} .
- C** Construct $\angle C$ congruent to $\angle F$.
- D** Duplicate \overline{BC} as \overline{EF} .

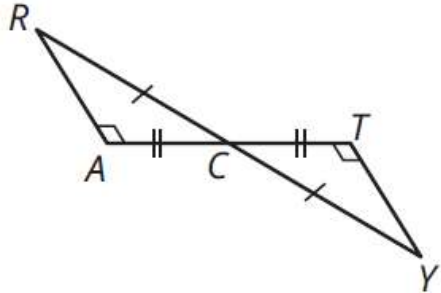
Q14: What is the angle measure of each interior angle of a regular polygon with 42 sides?

- A 8.57°
 - B 9.00°
 - C 167.14°
 - D 171.43°
-

Q15: For which polygon is the sum of the exterior angles equal to 360° ? Select all that apply.

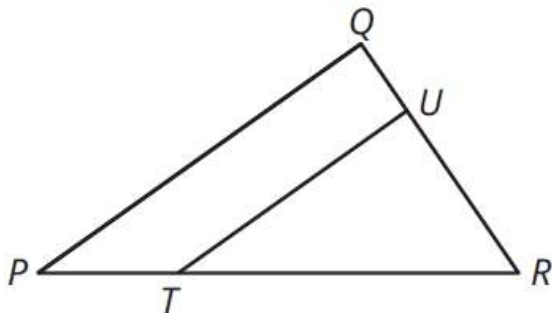
- A triangle
 - B quadrilateral
 - C pentagon
 - D hexagon
-

Q16: Using the diagram shown, choose the correct conclusion.



- A The triangles are congruent by HL.
 - B The triangles are congruent by LA.
 - C The triangles are congruent by HA.
 - D All of the above
-

Q17: If $\overline{UT} \parallel \overline{QP}$, which sequence of transformations describes the mapping of $\triangle TRU$ to $\triangle PRQ$? Select all that apply.

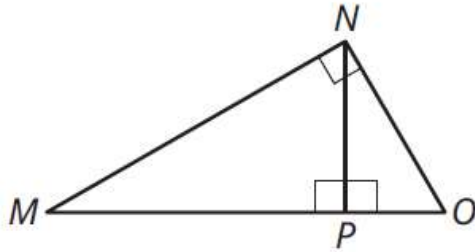


- A** Dilate $\triangle TRU$ using point R as the center of dilation.
- B** Dilate \overline{TR} by the factor $\frac{PR}{TR}$ and \overline{UR} by the factor $\frac{QR}{UR}$.
- C** Translate $\triangle TRU$ to move \overline{TU} to \overline{PQ} .
- D** Translate $\triangle TRU$ to move $\angle TUR$ to $\angle PQR$.
-

Q18: Which of the following are needed to show that $\triangle ABC$ and $\triangle XYZ$, with right angles at $\angle C$ and $\angle Z$, are congruent by the Congruence Theorem? Select all that apply.

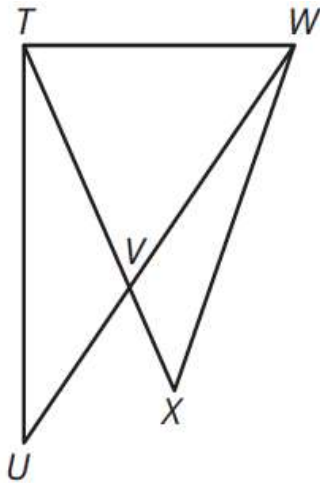
- A** $\overline{AB} \cong \overline{XY}$
- B** $\angle B \cong \angle Y$
- C** $\angle A \cong \angle X$
- D** $\overline{AC} \cong \overline{XZ}$
-

Q19: Altitude \overline{NP} is drawn in triangle MNO . Which of the following can prove that NP is the geometric mean between MP and PO ?



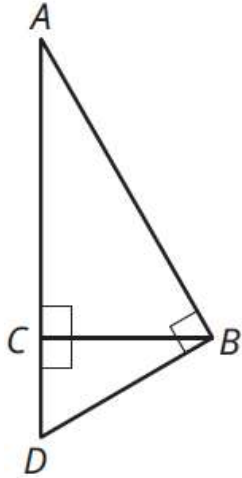
- A** Right angles MPN , NPO , and ONM are congruent. Triangles NMO and NMP share $\angle NMP$, and triangles NMO and NOP share $\angle NOP$. So, triangles NMO , NMP , and NOP are similar by the AA Similarity Theorem. So, $\frac{MP}{NP} = \frac{NP}{OP}$.
- B** Since right angles are congruent, $\angle MPN$, $\angle NPO$, and $\angle ONM$ are congruent. Segment NP bisects angle $\angle MNO$, so $\angle MNO$ is congruent to $\angle ONP$. So, triangles NPM and ONP are similar, and $\frac{MP}{NP} = \frac{NP}{OP}$.
- C** Segment NP bisects angle $\angle MNO$, so $\angle MNP = \frac{1}{2}\angle MNO$ and $\angle ONP = \frac{1}{2}\angle ONM$. By substitution, $\frac{MP}{NP} = \frac{NP}{OP}$.
- D** By the Alternate Interior Angle theorem, $\angle MNP = \frac{1}{2}\angle NPO$ and $\angle ONP = \frac{1}{2}\angle NPM$. By substitution, $\frac{MP}{NP} = \frac{NP}{OP}$.

Q20: In triangles TUW and WXT , $\angle U$ and $\angle X$ are congruent. Andre wants to prove that these triangles are similar. Which of the following is a counterexample to show that triangles TUW and WXT are NOT similar?



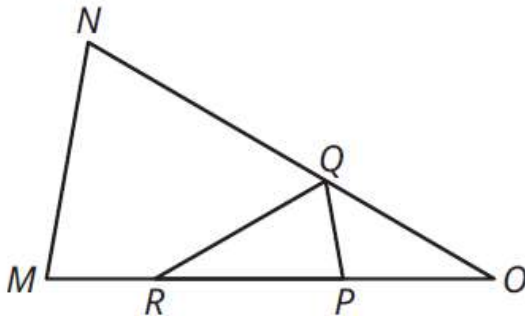
- A** $\angle U \cong \angle X$, but $\angle UTW$ is not congruent to $\angle XWT$.
- B** $\angle U \cong \angle X$, but $\angle UWT \cong \angle XTW$ and $\angle UTW \cong \angle XWT$.
- C** $\angle U \cong \angle X$, but $\angle UWT \cong \angle UTW$ and $\angle XTW \cong \angle XWT$.
- D** $\angle UWT \cong \angle UTW$, $\angle XTW \cong \angle XWT$, but $\angle U$ is not congruent to $\angle X$.

Q21: Triangles ABC , ABD , and BCD are similar right triangles. Yoshi writes that $\frac{AD}{BD} = \frac{BD}{CD}$ and $\frac{AD}{AB} = \frac{AB}{AC}$. What additional statement can Yoshi use to complete a proof that $BD^2 + AB^2 = AD^2$?



- A** $AB + BD = AC + CB + CD$
- B** $AD = \frac{AC}{CD}$
- C** $\frac{AB}{BD} = \frac{AC}{CD}$
- D** $AD = AC + CD$

Q22: If triangles MNO and PQR are similar, which of the following must be true? Select all that apply.



- A** $\frac{NM}{QP} = \frac{QR}{NO} = \frac{MO}{PR} = 1$
- B** $\angle N \cong \angle QRP, \angle M \cong \angle QPR, \angle O \cong \angle PQR$
- C** $\angle N \cong \angle PQR, \angle M \cong \angle QPR, \angle O \cong \angle QRP$
- D** $\frac{OM}{RP} = \frac{MN}{PQ} = \frac{ON}{RQ}$